Addressing the challenge of modelling energy storage in a whole energy system

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Future energy targets are driving the deployment of renewable technologies

London Array – the world's largest offshore wind farm

A solar farm

Aquamarine Power's Oyster Wave Energy

Photo credits:<http://www.londonarray.com/media-centre/image-library/offshore/> http://www.solarselections.co.uk/blog/wp-content/uploads/2012/09/ROC-solar-farm.jpg The future role for energy storage in the UK, Energy Research Partnership, 2011

The intermittency challenge

- Renewable energy is generated when it's not needed
- Large dip in generation during high demand
- Peaking generators, e.g. gas turbines, used to balance supply and demand are expensive and produce GHG emissions

Energy storage solution

Photo credit: The future role for energy storage in the UK, Energy Research Partnership, 2011

Llyn Stwlan reservoir Royal Institution Battery 1807 Hot water storage tank in the

basement of a smart house

- Enables "wrong-time" energy generation from intermittent renewables
- Reduces need for peaking generators
- Improves energy use efficiency

Reference: Wikipedia

Modelling challenge: the dynamics of storage technologies occur over short time scales (<hourly), very different from the time interval in energy system planning models (>yearly)

Tractability is an issue!

Imperial College l ondor

Challenges

- We need a dynamic energy system model with a very wide range of time scales
	- Planning: years or decades
	- Seasonal: variations in demands and availability
	- Hourly (or shorter):
		- Dynamics of storage technologies
		- Variations in demands, intermittency of renewable resources
- Still need to model spatial aspects
	- Demands and availability depend on location
	- Determine location/size of technologies and storage facilities
		- Requires integer variables
	- Transport of resources (centralised vs. distributed)
- Very large scale model

Hydrogen Supply Chain (HSC) model

Spatial element: Great Britain represented by 34 108×108 km2 square cells Temporal element: 2015-2044 divided into 5 6-year periods Last upgrade: made it a dynamic model with time intervals of 4 seasons in a year and 4 6-hr periods in a day

Example case study

No. of variables > 1M, No. of constraints > 0.5M, Integers = 15k Took \sim 3 days to solve full MIP!

Inventory profile for a whole year

Limitations of the HSC model

- Multi-echelon model
	- Pathways inflexible
	- Distribution within cells too complex
		- Too many binary variables
		- Big M formulation
- Too large to be extended
	- Adding a pipeline transport mode resulted in intractable problems
	- Difficult to add new technologies and resources
	- Still not enough time intervals

Back to basics:

A very simple MILP model with storage

Back to basics:

\n**A very simple MILP model with storage**

\nResource balance:
$$
I_{rch} + U_{rch} + \sum_{p} \alpha_{rp} P_{pch} + \sum_{c'} (Q_{rc'ch} - Q_{rcc'h}) - D_{rch} = S_{rch} - S_{rc,h-1} \quad \forall r, c, h
$$

\nProduction capacity constraint:
$$
P_{pch} \leq NP_{pc} P_{p}^{\max} \quad \forall r, c, h
$$

\nResource availability constraint:
$$
U_{rch} \leq u_{rch}^{\max} \quad \forall r, c, h
$$

\nStorage capacity constraint:
$$
S_{rch} \leq s_{rc}^{\max} \quad \forall r, c, h
$$

\nWhich is not a planning model!

\nObjective function definition.

Objective function definition

 $|h|$ **No. of variables** No. of constraints Solution time (s) 24 6,139 3,703 7 168 42,427 25,879 744 720 181,531 110,887 22,248 2,160 544,411 332,647 >155,520 8,760 2,207,611 1,349,047 ??! $|p| = 4$ $|c| = 14$ No. of integer variables = 56 $|r| = 3$ *h - contiguous hourly interval*

STeMES

- **S**patio **Te**mporal **M**odel for **E**nergy **S**ystems
- RTN representation of energy pathways
	- same framework as the BVCM and TURN model in SynCity toolkit
- MILP formulation
- Efficient representation of time
- Detailed storage formulation
- Transport losses modelled in detail

Hierarchical non-uniform time discretisation

Total number of time intervals $T = |y| \times |s| \times |d| \times |h|$ e.g. for one year, $T = 1 \times 4 \times 2 \times 24 = 192 \ll 8760$ Without storage – very easy!

With storage – extra variables for initial inventories; extra constraints to link inventories within and between time levels

Transport

Transport task – used to model connections between cells

Resource r_2 is transported from cell *i* to cell *i'*, which requires r_1 from cell *i* and results in waste r_3 being generated in both cells

Storage

An example set of **storage tasks** to store resource *r¹* .

The "put" task transfers $r₁$ from the cell to the store, requiring some $r₂$ and producing some wastes r_3 (e.g. CO₂). The "hold" task maintains r_1 in storage, which also requires some $\rm r_2$ but at less than 100% efficiency, the losses being converted to *r³* . Finally, the "get" task retrieves *r1* from storage and delivers it to the cell, requiring some *r⁵* .

STeMES prototype

- Developed and tested for a hypothetical island of 14 50 \times 50km cells
- Wind generation installed at two locations
- Choice of storage technologies
	- Salt cavern available for use as hydrogen storage facility
	- Other $H₂$ storage technologies: gaseous (tank), liquid, metal hydride
- Target: transport demand to be met by hydrogen (CGH_2)
- Objective: Minimum cost
- **Decisions**
	- Location and size/number of hydrogen production and storage facilities
	- Operation of production facilities
	- Operation of storage facilities
		- when to charge and discharge
	- Transportation of hydrogen

Spatio-temporal input data

Results $|y|=1, |s|=4, |d|=2, |h|=24$

Snapshot of the network during weekday $(d=1)$ in spring $(s=1)$

Hourly transport of CGH2 by pipeline Installed electrolyser capacity (3 small units) Installed underground storage capacity

Storage discharging rate (MW)

Resource Utilisation

- Without storage, the scenario is infeasible
- BUT with storage, only a fraction of the available wind energy is needed!

The rate of operation of electrolyser is effectively constant

Results $|y|=1, |s|=4, |d|=2, |h|=24$

Hourly inventory of CGH_2 in the storage for a whole year

Benchmarking

No. of integers = 336 , relative tolerance = 0.1%

- All runs determined 45.4 MW of electrolysis capacity installed in cells 1 and 14, H_2 transport by pipeline and underground storage.
- However, the runs with fewer time intervals underestimated the storage capacity.

If underground storage is not an option

demand.

|y|= 1*, |s|*= 1*, |d|*= 2*, |h|*= 24

Installed electrolyser capacity (3 small units) Installed $CGH₂S$ capacity (1 small unit each)

Next steps

- Real case studies (e.g. UK scenarios)
- Add more resources and technologies
- Exploit the full potential of the nonuniform hierarchical discretisation method
	- E.g. Use fewer *non-uniform* hourly intervals
- Additional decomposition methods
	- Benders decomposition did not work
	- Test in-house approaches

Source: The Electricity Storage Network. Development of electricity in the national interest. May 2014

Conclusions

- Storage is a key-enabling technology for meeting the energy demands using renewable resources
	- Without storage the example problem is infeasible
	- With storage, only a small fraction of available primary resource is used and the generation technology operates effectively at a constant rate
- To model storage accurately, hourly or shorter intervals are needed
	- In the example, four seasons are also needed
- Model tractability is a big challenge
	- Even the simplest model cannot handle a whole year at an hourly level
	- Hierarchical time decomposition allows a whole year (and longer planning horizon) to be considered by exploiting periodicity in the data