

Introduction

The Problem

- ▶ Energy System Models are used to explore future scenarios of the energy system
- ▶ Scenarios are often defined using external sources without reference to the model
- ▶ Scenarios should highlight the *important* uncertain input parameters
- ▶ Removing the unimportant dimensions of the problem makes the analysis more efficient

Sensitivity Analysis quantifies the degree to which a model input effects an output

- ▶ Local approaches
 - ▷ e.g. one-at-a-time (OAT) approach
 - ▷ low data requirements
 - ▷ quick and easy to conduct
 - ▷ do not capture interactions between inputs
 - ▷ misleading for non-linear models
- ▶ Global approaches
 - ▷ e.g. Sobol analysis
 - ▷ often need probabilistic data
 - ▷ computationally demanding
 - ▷ capture interactions between inputs
 - ▷ handle non-linear and non-additive models

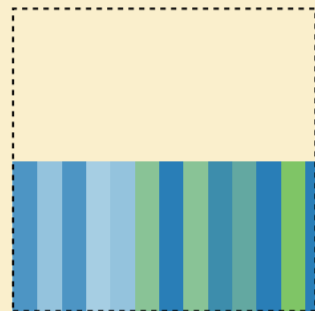
The **Method of Morris** combines the best of local and global methods

- ▶ low data requirements - only a range is required
- ▶ computationally efficient - $N(k + 1)$ simulations
- ▶ output metric μ^* compares favourably to more complex measures such as S_{t_i}

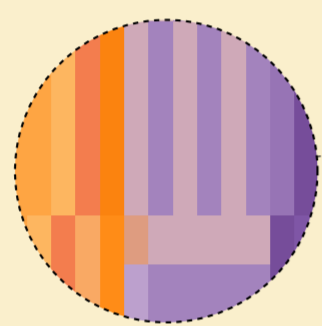
The Method of Morris

1. Define k parameters and plausible ranges

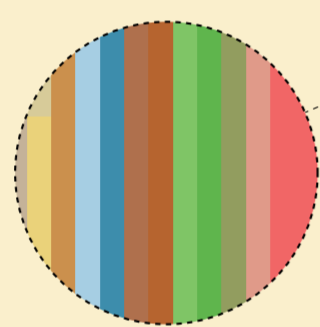
The starting point of each trajectory is random



Only one group changes value in each simulation

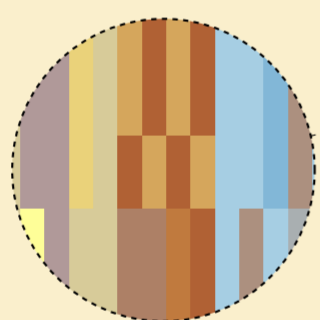


Uniform parameter distribution over the sample



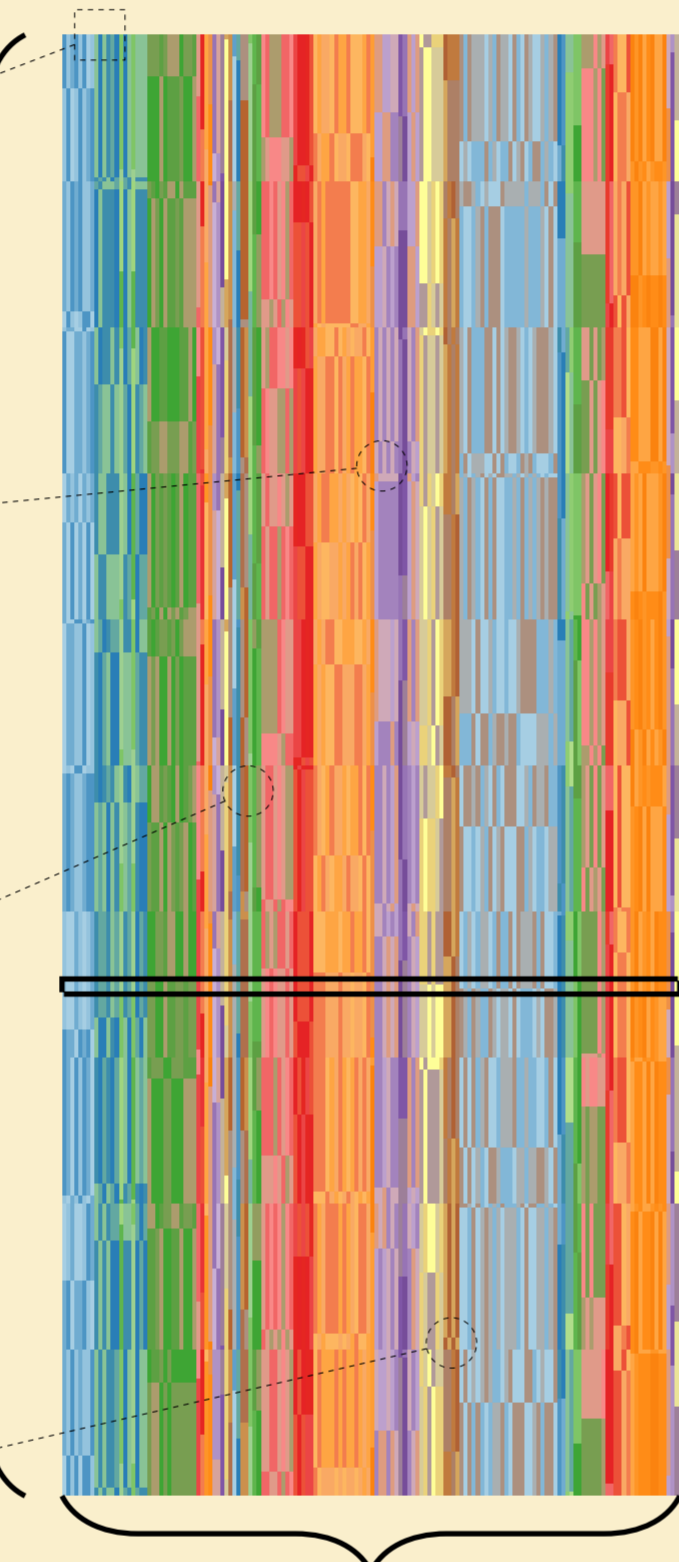
Within a group parameters move together

Parameters move over four levels



2. Generate sample

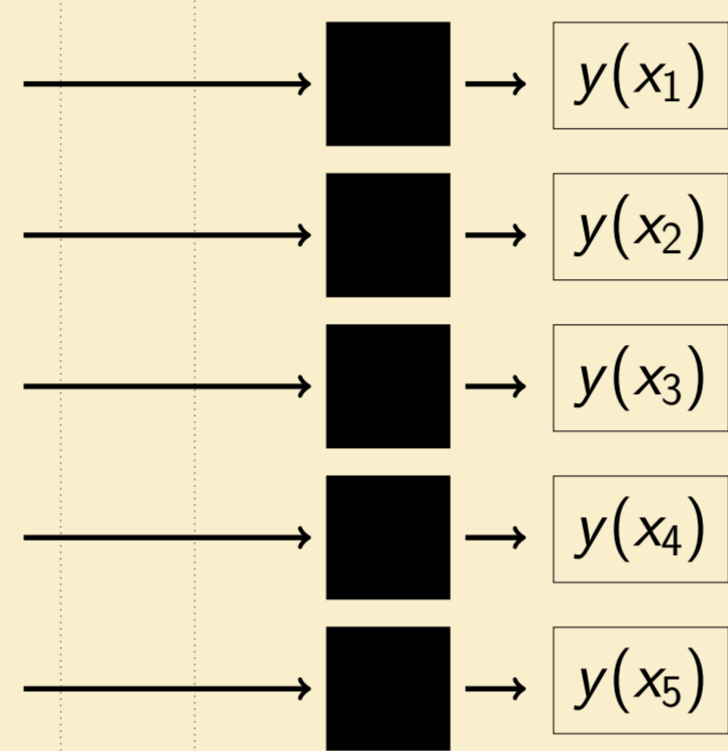
- ▶ Each column is a parameter
- ▶ Colours represent groups of parameters
- ▶ Shading represent 4 levels of a parameter



Parameters may be grouped to reduce the sample size

3. Run Model

for each simulation



4. Compute elementary effects

$$EE_i^j(\mathbf{x}^{(l)}) = \frac{[y(\mathbf{x}^{(l \pm 1)}) - y(\mathbf{x}^{(l)})]}{\pm \Delta}$$

$$EE_i^j = \begin{pmatrix} ee_{1,1} & ee_{1,2} & \dots & ee_{1,j} \\ ee_{2,1} & ee_{2,2} & \dots & ee_{2,j} \\ \vdots & \vdots & \ddots & \vdots \\ ee_{i,j} & ee_{i,2} & \dots & ee_{i,j} \end{pmatrix}$$

Each trajectory allows the computation of one elementary effect per parameter

5. Compute Metrics for each parameter

$$\mu_i^* = \frac{1}{N} \sum_{j=1}^N |EE_i^j|$$

6. Average μ^* for each group of parameters

$$\mu_g^* = \sum_{i=1}^k G_{ig} \times \mu_i^*$$

Results

Summary of Results

- ▶ Two parameters account for the majority of the variation in carbon price
- ▶ Availability of biomass is a key determinant of supply side decarbonisation
- ▶ The build rate of carbon capture and storage technologies (CCS) is an influential factor
- ▶ There are significant non-linearities/interaction effects for the most important input parameters

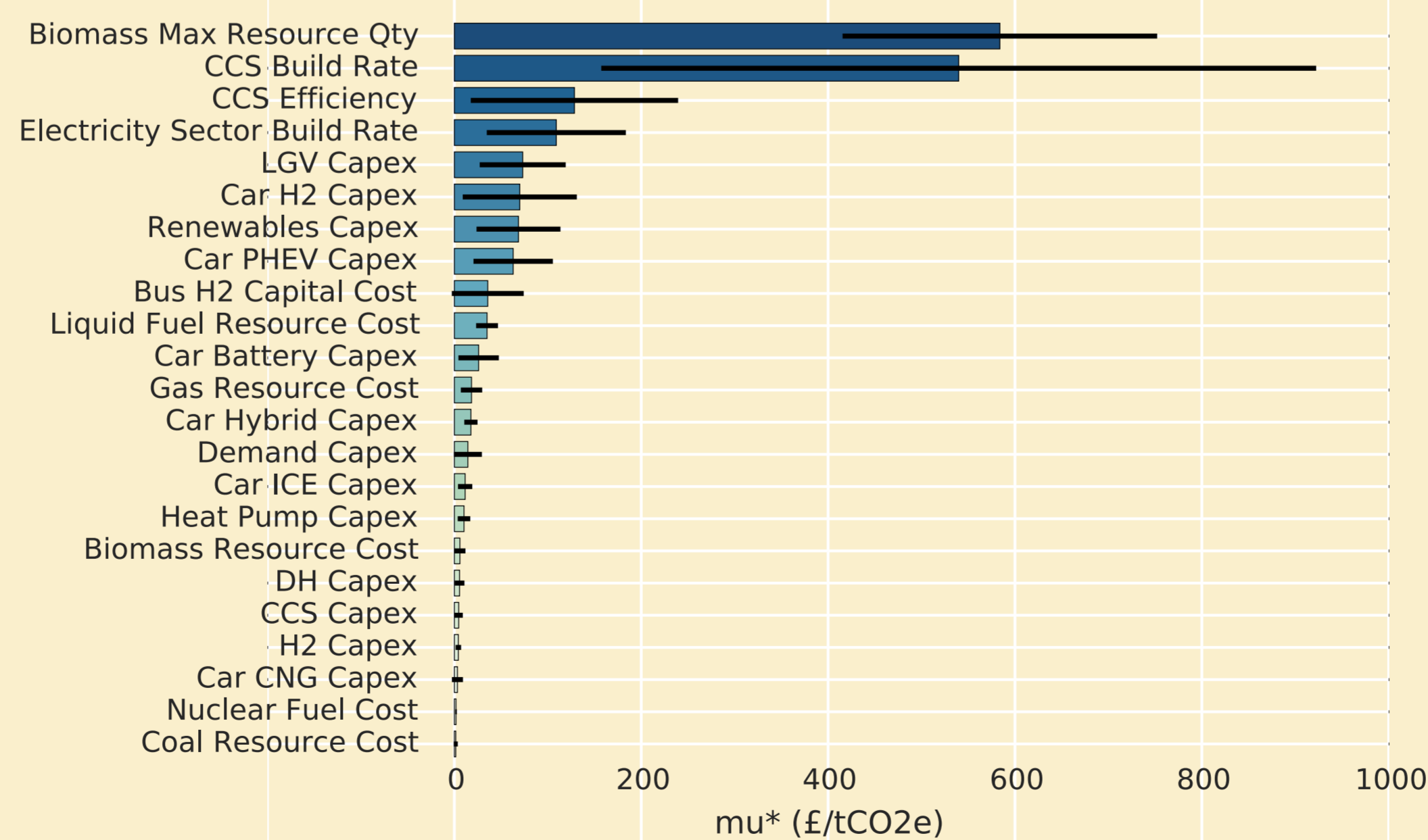


Figure: Sensitivity measure for carbon price in 2050 under an 80% GHG emission constraint

Discussion

- ▶ The Method of Morris enables us to safely exclude the majority of input parameters as important for the model results
- ▶ This reduction in model dimensionality allows model users to select just the key parameters for the scenario analysis
- ▶ This approach gives limited information about which parameters interact, and assumes input parameters are uniformly distributed and independent